

Market Structure

↓
depending on degree of competition

↓ that is no. of sellers

we can divide market

✓ a) Perfect competitive market

b) Monopolistically competitive market

c) Oligopoly market

d) Monopoly

Perfectly competitive Market:

Properties:

- ① infinitely large no. of sellers as well as buyers.
- ② Prices are given / constant and sellers are price takers.
- ③ Products are homogeneous / identical in nature.
i.e. all products are perfect substitutes to each other.

④ Free entry and exit of firms in market.

Assumed that in SR: Supernormal profit

$$(\pi > 0 \Rightarrow TR > TC)$$

new firms will be attracted to enter and produce more

↓
situation of excess supply

↓
To bring back the market equilibrium, the price will fall

$\pi = 0$
(Normal profit)

← $TR = TC$ ← TR will decrease

↳ Break even point in LR → to avoid further losses will exit from the market.

Revenue curves under Perfect Competition → $P = \bar{P}$

① Total Revenue, $TR = \bar{P} \times Q$

Slope of TR = $\frac{dTR}{dQ} = \bar{P} > 0$

MR = \bar{P}

↳ TR curve is an upward sloping straight line through origin

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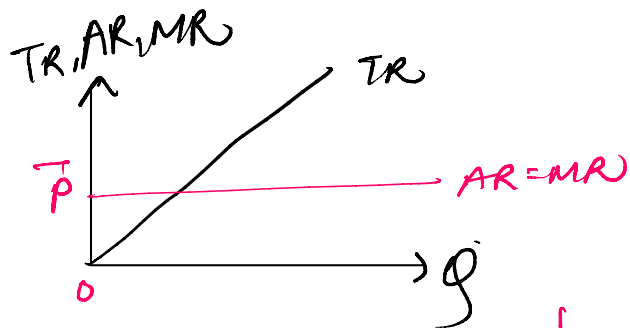
straight line through origin

slope of MR = 0

\Rightarrow MR curve is horizontal to output axis.

$$\text{and } AR = \frac{TR}{Q} = \frac{\bar{P} \times Q}{Q} = \bar{P} = MR$$

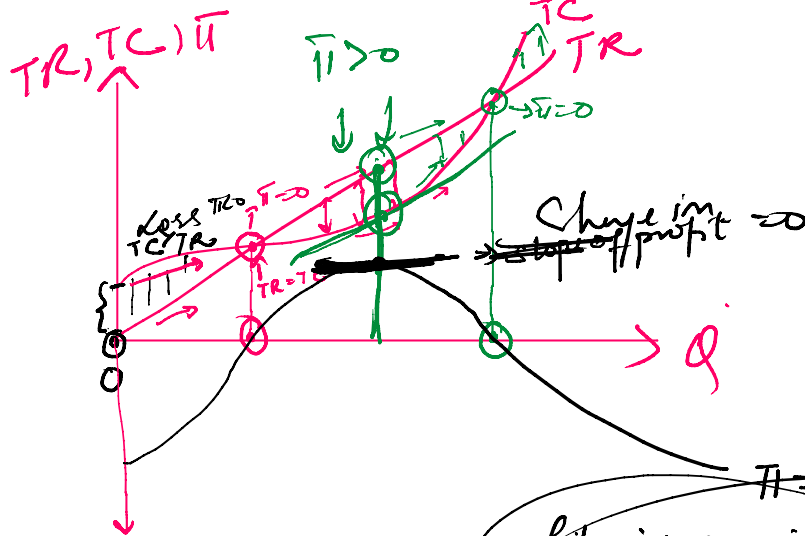
Only in PC market $AR = MR = \bar{P}$ (horizontal line).



Profit maximisation (TR-TC approach)

$$\text{Profit, } \pi = TR - TC$$

Profit is max \rightarrow where the gap between TR and TC is max.



Conclude: profit is maximum where slope of TR = slope of TC
 \downarrow $\boxed{MR = MC}$

MR-MC approach

$$\pi = TR - TC$$

for maximisation F.o.c, $\frac{d\pi}{dq} = 0$

$$\left(\frac{dTR}{dq}\right) - \left(\frac{dTC}{dq}\right) = 0$$

$$MR - MC = 0$$

AR = P = MR = MC ✓

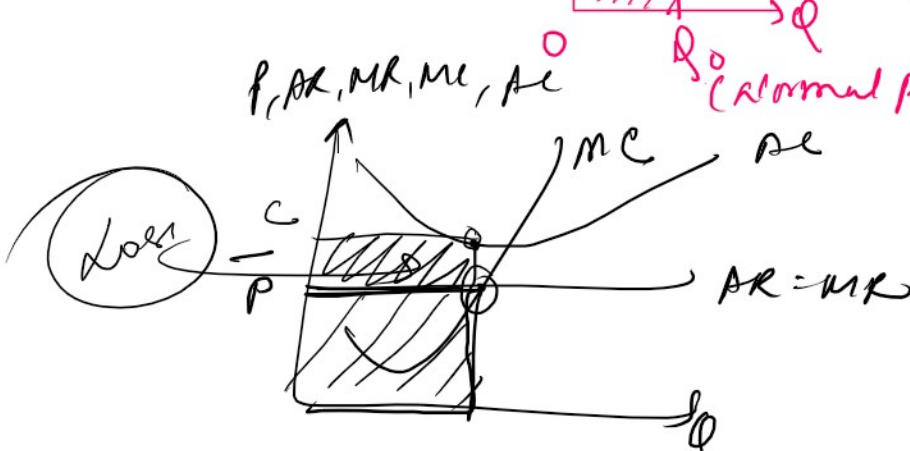
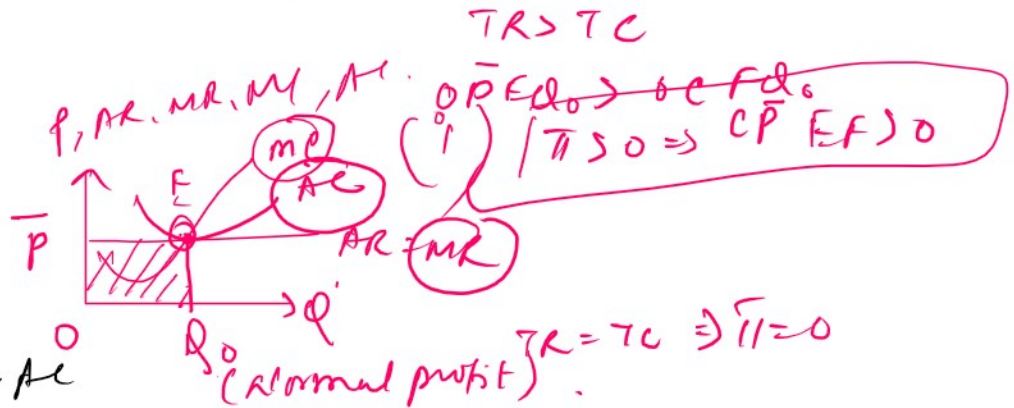
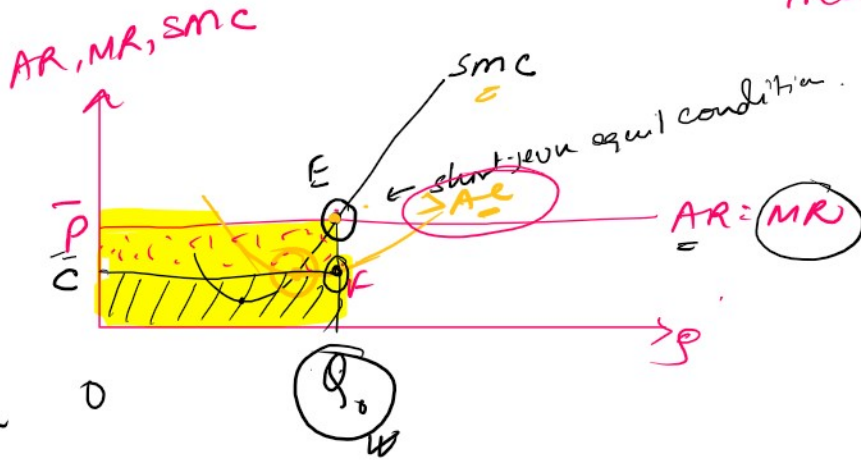
Short-run equilibrium under a PC market.

(1) Super-normal $\pi > 0$

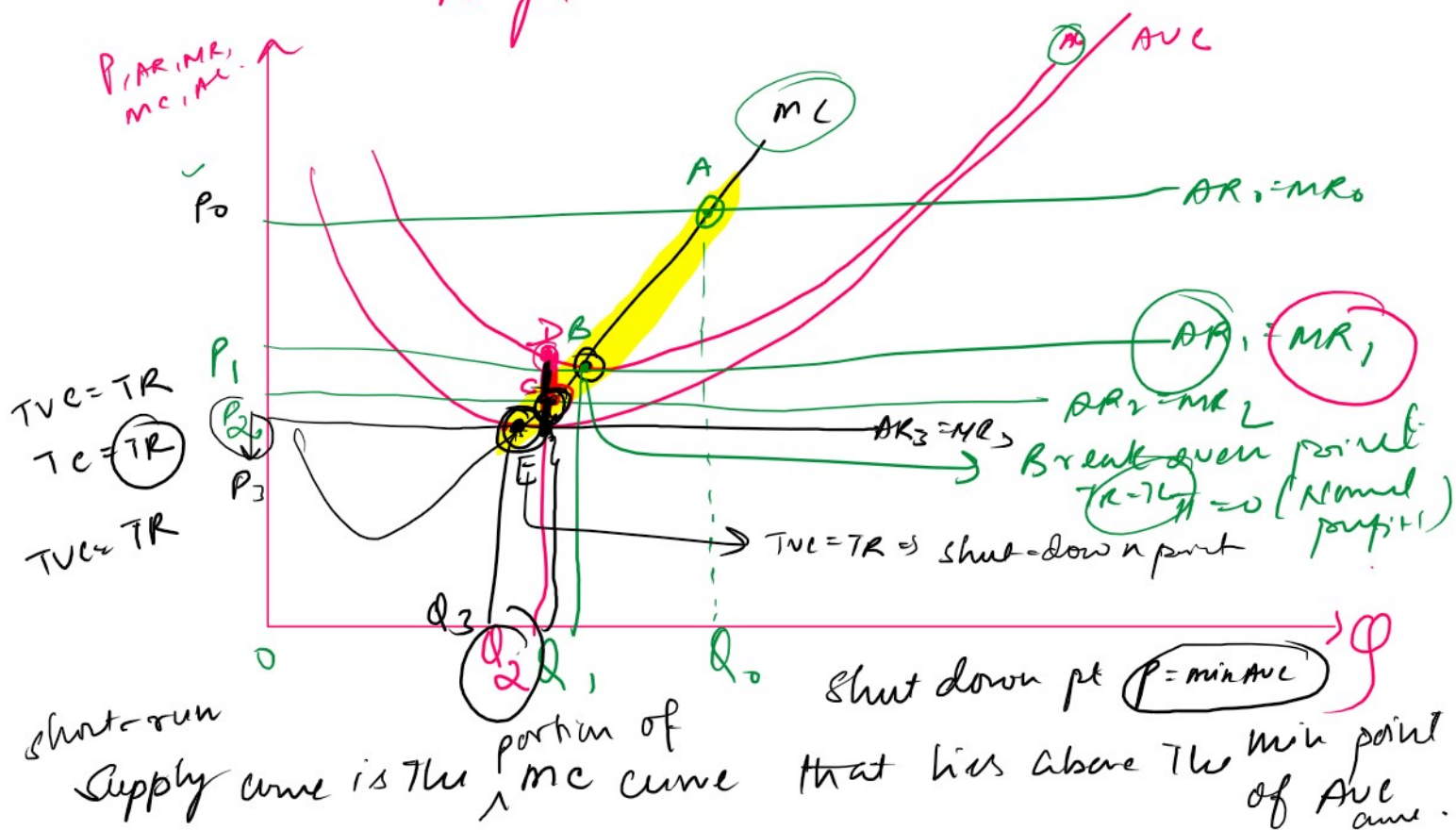
$TC < TR$
 $AC < AR$

Normal $\pi = 0$
 $TR = TC$ or $AR = AC$

Loss $TR < TC$
 $\Rightarrow AR < AC$



Short-run supply curve under a PC market.



Properties of monopoly market:

- ① Single seller
- ② Price is not const, sellers are price makers.
Possibility of price discrimination.
- ③ No ~~substitutes~~ substitutes \Rightarrow heterogeneous or non-identical or unique products.
- ④ High barriers to enter the market.

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Restrictions / Barrier to enter the market:

(i) copyrights, patents, licensing etc.

(ii) Economies of Scale

L and $K \Rightarrow Q$
 $(2L) (2K) \Rightarrow 3Q$

is a situation (cost-advantage situation)

When a firm enjoys increasing returns to scale

$$\frac{TC \uparrow}{Q \uparrow} = AC \downarrow$$

per unit cost of production decreases

AC of producer falls

it can sell product at a lower price which other small firms in the market cannot compete.

will exit the market

only firm remains which drive of out

Natural Monopoly

Revenue curve under Monopoly market.

$$TR = P \times Q$$

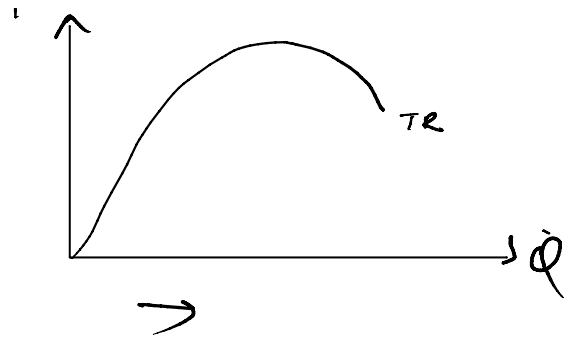
$$TR = aQ - bQ^2$$

TR ↑

TR is concave

$$AR = \frac{TR}{Q} = P(Q)$$

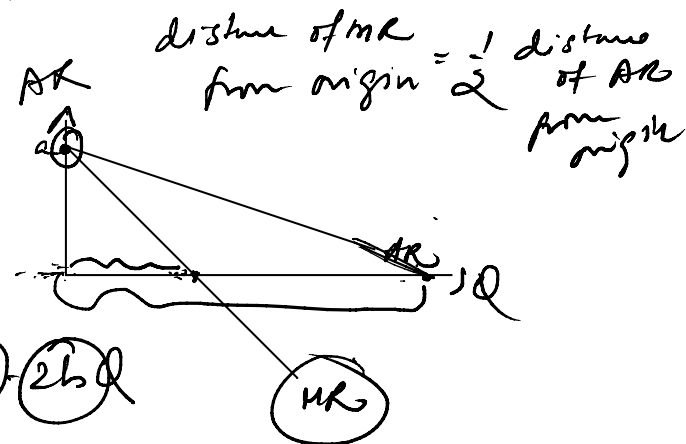
↳ demand curve



$$AR = (a - b)Q = P \quad \rightarrow \text{demand curve}$$

↳ slope

↳ intercept



$$MR = \frac{dTR}{dQ} = P + Q \frac{dP}{dQ}$$

$$TR = aQ - bQ^2 \text{ then } MR = (a - 2b)Q$$

Relation between AR, MR, TR and (ep)

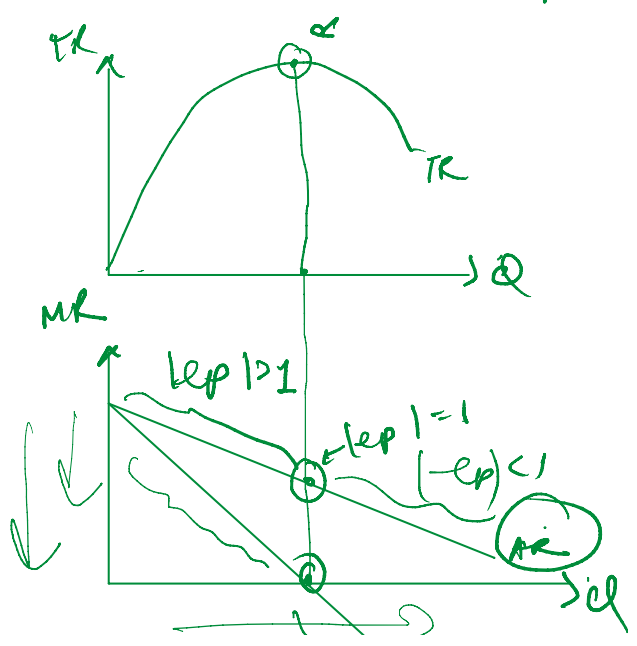
$$TR = P \cdot Q$$

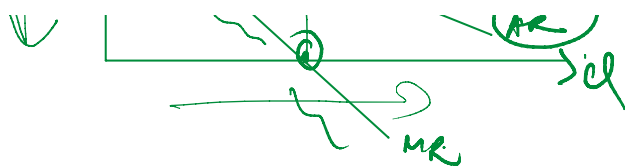
$$MR = \frac{dTR}{dQ} = P + Q \frac{dP}{dQ}$$

$$MR = P \left[1 + \frac{Q}{P} \cdot \frac{dP}{dQ} \right]$$

$$MR = AR \left[1 - \frac{1}{\text{ep}} \right]$$

$$MR = AR \left[1 - \frac{1}{\text{ep}} \right]$$





- (MR) (AR) (|e|)
- ① $|e| = 1 \Rightarrow MR = 0$
 - ② $|e| > 1 \Rightarrow MR > 0$
 - ③ $|e| < 1 \Rightarrow MR < 0$

Short-run equilibrium.

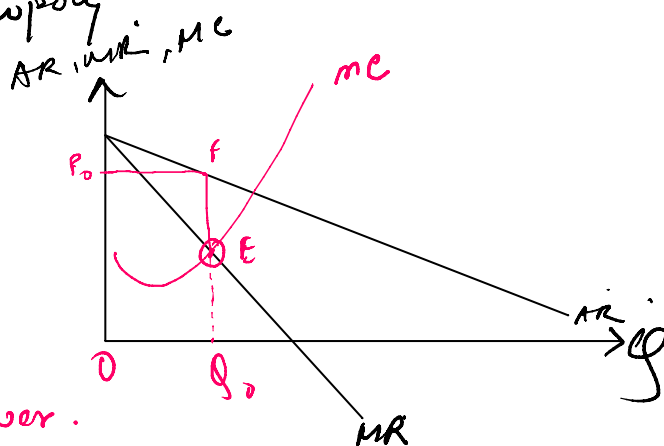
condition under Monopoly

$$\pi = TR - TC$$

$$0 = MR - MC$$

$$P > MR = MC$$

\hookrightarrow monopoly power.



Monopoly power \rightarrow ability of the seller to charge a price higher than MC .

\hookrightarrow Lerner's index of monopoly power

$$L = \frac{P - MC}{P}$$

in equil $MR = MC$

$$d = \frac{P - MR}{P}$$

$$d = 1 - \frac{1}{P} \left\{ P \left[1 - \frac{1}{|ep|} \right] \right\}$$

$$d = \cancel{1} - \cancel{1} + \frac{1}{|ep|}$$

$$d = \frac{1}{|ep|}$$

\therefore monopoly power is inversely related to the elasticity of demand

higher the elasticity \rightarrow lower is the monopoly power and versa.

ex: in PC \rightarrow demand curve is perfectly elastic

$e \rightarrow \infty$
 $\rightarrow e = 0$
 0 monopoly power