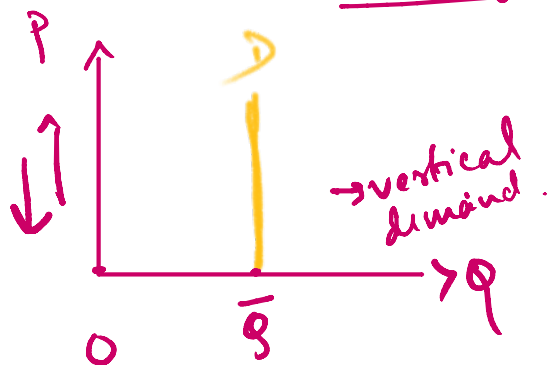


Elasticity of demand

① Own price elasticity of demand.

$$e_p = \left| \frac{\Delta Q}{\Delta P} \cdot \frac{P}{Q} \right|$$

Case 1. perfectly inelastic $|e_p| \rightarrow 0$



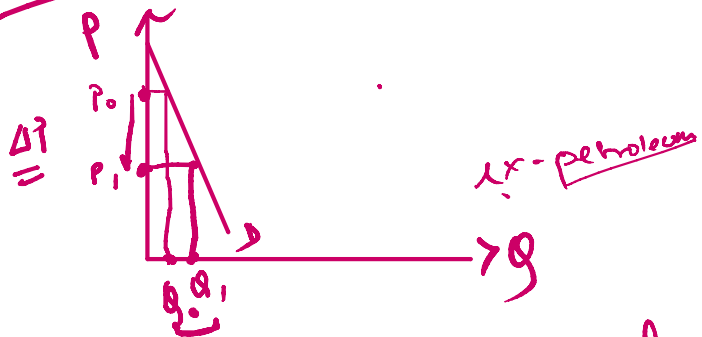
$$P, Q \neq 0 \quad \therefore \frac{\Delta Q}{\Delta P} \rightarrow 0$$

$$\rightarrow \boxed{\Delta Q \rightarrow 0}$$

it means that for any change in price, quantity demanded remains unchanged.

ex: life saving drugs

Case 2: inelastic demand



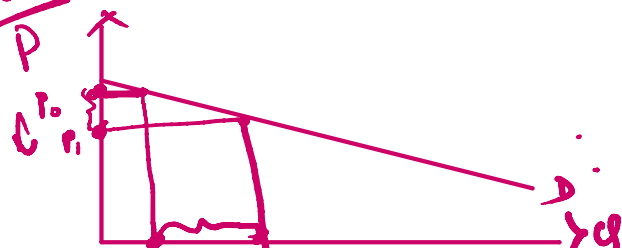
$$0 < |e_p| < 1$$

$$\therefore \frac{\% \text{ change in } Q}{\% \text{ change in } P} < 1$$

$$\% \text{ change in } Q < \% \text{ change in } P$$

demand curve is steeper.

Case 3: elastic demand



$$|e_p| > 1$$

$$\therefore \frac{\% \text{ change in } Q}{\% \text{ change in } P} > 1$$

$$\% \text{ change in } Q > \% \text{ change in } P$$

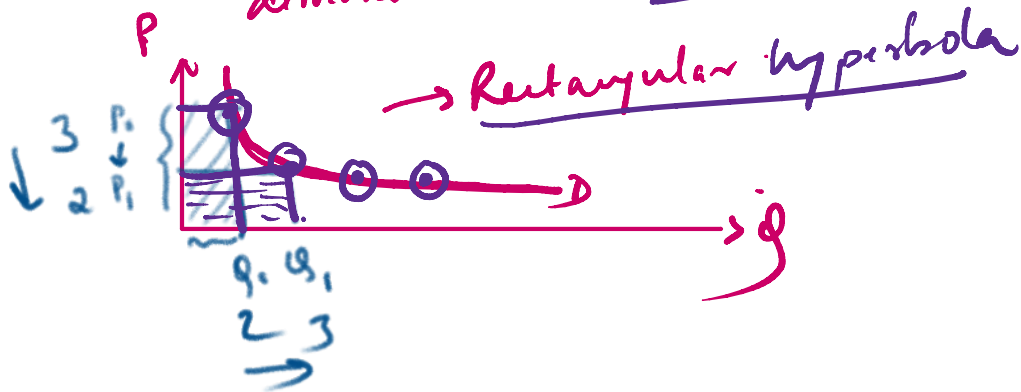
demand curve is flatter.



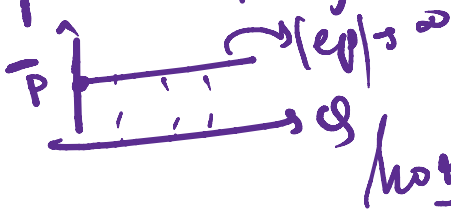
1. change in Q
demand curve is flatter.

Case 4: Unit elastic demand
 $|ep| = 1$

$\% \text{ change in } Q = \% \text{ change in } P$
demand curve is rectangular hyperbola.



Case 5: Perfectly elastic $|ep| \rightarrow \infty$



$\Delta P \rightarrow 0$
negligible change in price

horizontal.

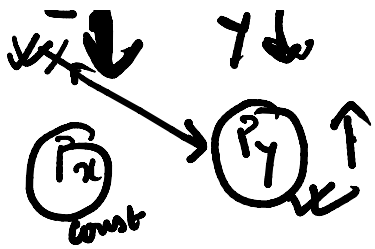
② Cross price elasticity.
defined as $\frac{\% \text{ change in quantity demand for } X}{\% \text{ change in price of another good } Y}$

to the $\% \text{ change in price of another good } Y$

$$e_{c \text{ } X, Y} = \frac{\% \text{ change in } X}{\% \text{ change in } P_Y}$$



$$\Delta X \dots P_Y$$



$$= \frac{\Delta X}{\Delta P_Y} \times \frac{P_Y}{X}$$

(i) Substitute goods $\Rightarrow \frac{\Delta X}{\Delta P_Y} > 0 \Rightarrow e_c^{x,y} > 0 \checkmark$

(ii) complementary goods $\Rightarrow \frac{\Delta X}{\Delta P_Y} < 0 \Rightarrow e_c^{x,y} < 0 \checkmark$

(iii) unrelated goods $\Rightarrow \frac{\Delta X}{\Delta P_Y} = 0 \Rightarrow e_c^{x,y} = 0 \checkmark$

(3) Income elasticity of demand.

defined as % change in demand for X w.r.t. to % change in income of consumer (M).

$$i.e., e_m^x = \frac{\% \text{ change in } X}{\% \text{ change in } M} = \frac{\frac{\Delta X}{X} \times 100}{\frac{\Delta M}{M} \times 100}$$

$$\therefore e_m^x = \frac{\Delta X}{\Delta M} \times \frac{M}{X} \checkmark$$

Classification of goods.

(1) inferior goods, ($X \downarrow$ with $M \uparrow$)

$$\frac{\Delta X}{\Delta M} < 0 \Rightarrow e_m^x < 0$$

(2) Normal goods $\Rightarrow (X \uparrow \text{ with } M \uparrow)$

$$\frac{\Delta X}{\Delta M} > 0 \Rightarrow e_m^x > 0$$

$$\frac{\Delta x}{\Delta M} > 0 \rightarrow em > 0$$

(a) Necessary goods $\rightarrow 0 < em^x < 1$

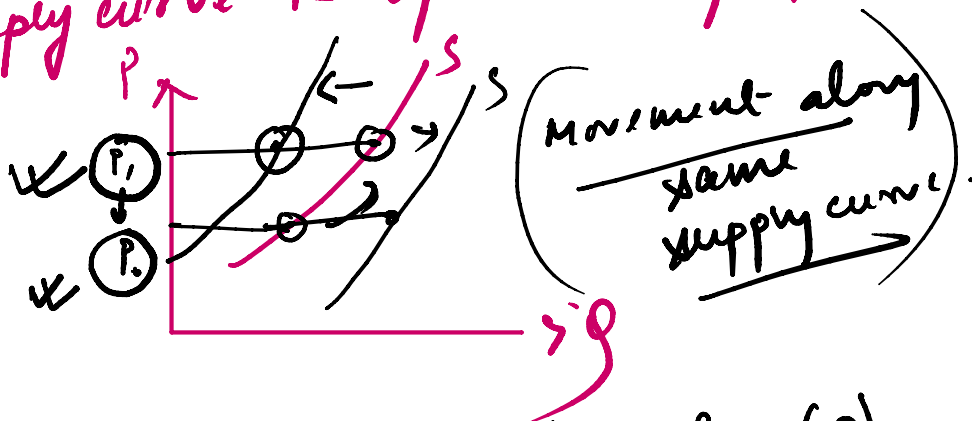
$$\Delta x < \Delta M$$

(ex food, cloth).

(b) Luxury goods $\rightarrow em^x > 1$
(ex Jewellery, cars etc).

*

Supply: +ve relation b/w P and Q.
Supply curve is upward sloping.



Factors:

- ① price of commodity supplied. (P).
- ② price of inputs \Rightarrow cost of production.

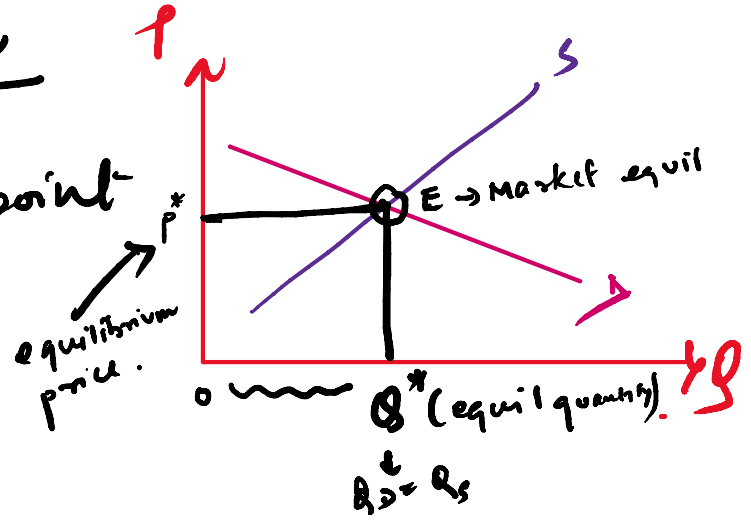
price of inputs -vely to Q_s .

→ Technological advancement.

- ③ Technology advancement.
- ④ Climate / Natural disaster.

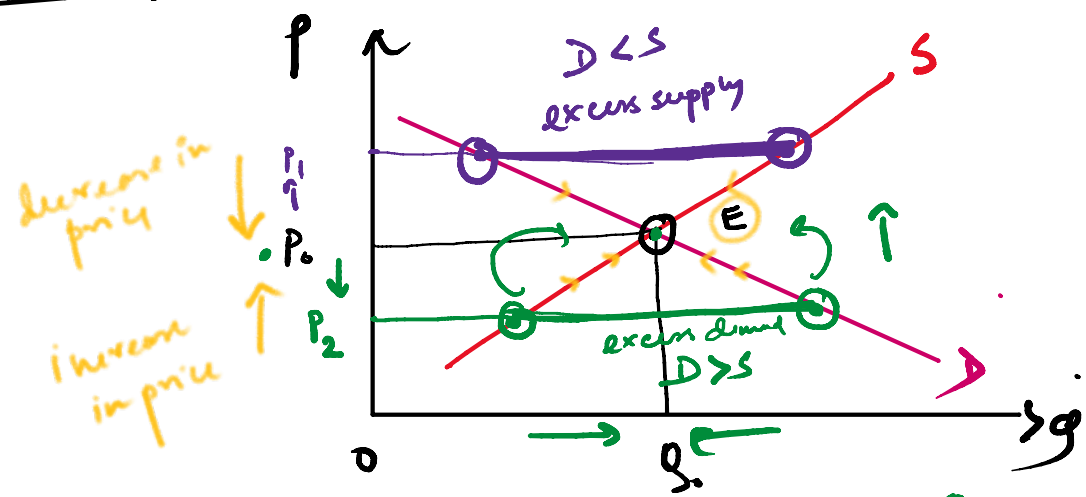
Market Equilibrium

↓
market clearing point
↓
✓ $D = S$



Market adjustments

(mechanism of market equilibrium)



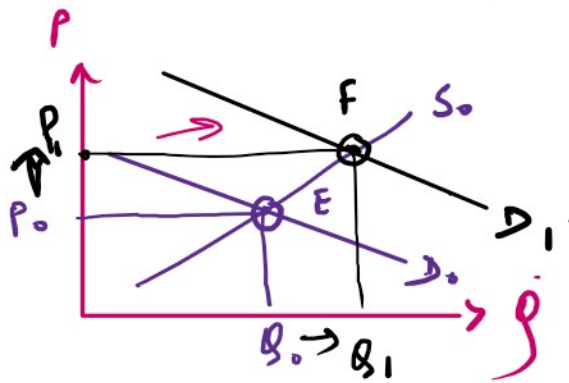
Stability condition for market equilibrium is that with increase in price, excess demand in the market will decrease.
 ∴ pt E is a stable market equilibrium

... .. \therefore pt E is a point

I (Change in Market equilibrium) due to change in demand when supply is same.

(a) increase in demand

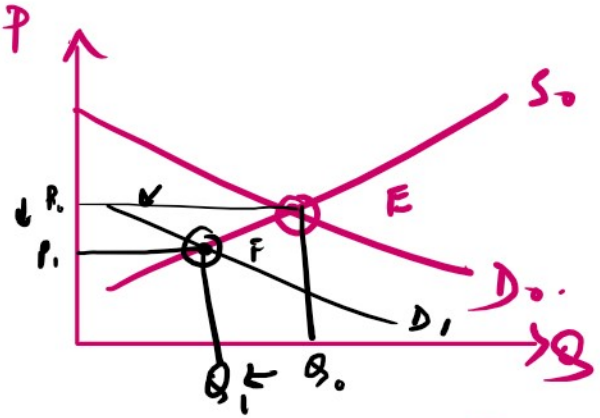
D_0 shifts right to D_1



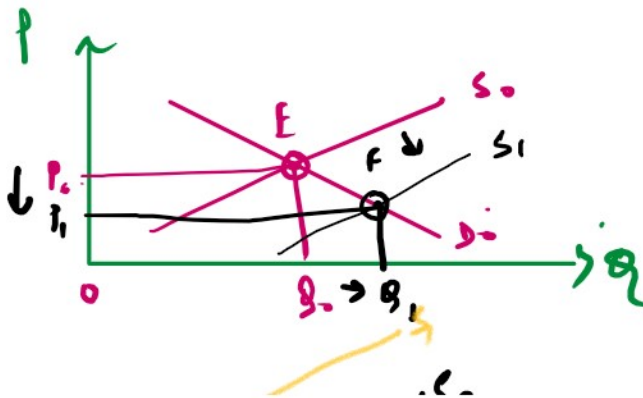
S_0

Conclusion: equil Q as well as equil P will increase.

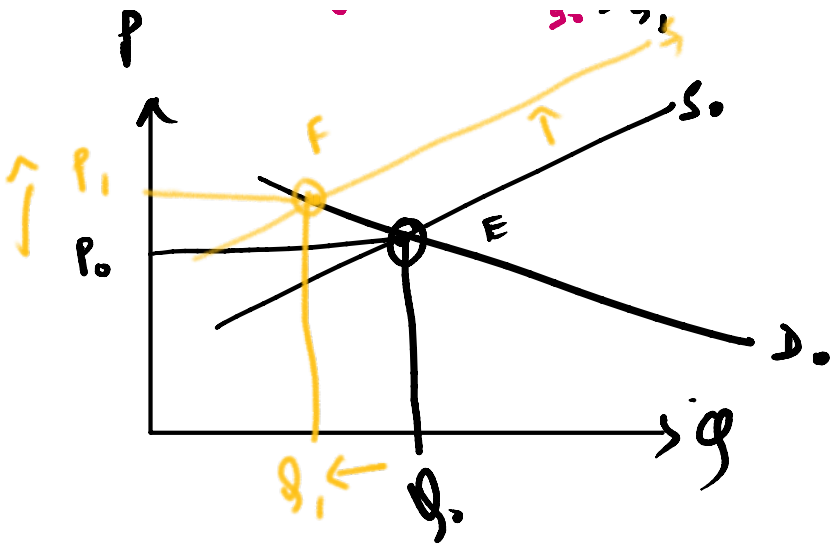
(b) decrease in demand



Case 2: Supply changes keeping demand constant:



(a) increase supply.
 equil quant \uparrow as
 but equil price \downarrow as.



→ equil quan decreases
but equil price increases.

Next class : Production and cost
 [① problems on
 elasticity & equilibrium]
 — * —