

✓ GIPE - (MCQ) in offline.

1. Duration → 120 min (2 hrs)
2. No. of ques → 100 questions
3. each correct answer → 1 marks
4. No negative marking.

5. **Section A** → **Mathematical Aptitude (40 marks)**
 [Number system, Sets, Arithmetic, Algebra, Permutation & combination, Basic Statics & graphs]

Section B → **Analytical Ability and Reasoning (40 marks)**
 [Number series, Coding-Decoding, Blood Relations, Direction, Clock Sitting Arrangements, Alphabet test]

Section C → **English (Language) (20 marks)**
 [Reading Comprehension, vocabulary, editing and correction]

Symbiosis Entrance Exam (SEE) → 60 Questions in 60 min (1 hour)
 → No negative marking.
 (16 marks)

① **General awareness**

- ✓ Current Affairs both national and international
- ✓ Static GK questions like currencies, capitals, Books and authors.

- ✓ Questions based on Economics, finance
- ✓ Also different questions on appointments, Agreements and constitutions.

② **Quantitative Technique (16 marks)**

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(Matrix and Determinants, Percentage, Profit & Loss,
Time and work, Ratio and Proportions, Mensuration)

③ Logical Reasoning (12 marks)

④ General English (16 marks)

Number System :

① Natural Numbers
ex 1, 2, ... (counting numbers)

② Integers
ex ..., -3, -2, -1, 0, 1, 2, 3, ...

③ Even Numbers (divisible by 2)
-6, -4, -2, 0, 2, 4, 6, 8, ...

④ Odd Numbers (Not exactly divisible by 2)
-7, -5, -3, -1, 1, 3, 5, 7, ...

⑤ Prime numbers (two positive factors
i.e. 1 and the number
itself)

2, 3, 5, 7, 11, 13, ...

⑨, ⑫ ⇒ these numbers are odd numbers
which are not prime

(9), (25) \Rightarrow these numbers are odd...
which are not prime numbers.

* All odd numbers are not a prime number.

Method 1: Testing a prime number.

(*) Let p be a given number and let n be the smallest natural number such that $n^2 \geq p$ ✓

Now, test whether p is divisible by any of the prime number less than or equal to n .

If yes then p is not prime.

Ex: check whether (67) is a prime number.

Here 9 is the smallest natural number such that $9^2 > 67$ ✓

Now prime numbers less than 9 are 2, 3, 5 and 7.

Since 67 is not divisible by 2, 3, 5 and 7
 \therefore 67 is a prime number

(b) (111) \rightarrow prime number
121 > 111

$$121 > 111$$

$$(11^2) > (111)$$

✓ ✓ - -
2, 3, 5, 7, ...

Method 2: Prime Factorisation

ex: ① prime factorisation of 240
② 3150 → 2 × 3² × 5² × 7

$$\begin{array}{r} 2 \overline{) 240} \\ \underline{2} \\ 2 \\ \underline{2} \\ 2 \\ \underline{2} \\ 3 \overline{) 15} \\ \underline{3} \\ 5 \overline{) 5} \\ \underline{5} \\ 1 \end{array}$$

⑥ Composite Numbers

↳ No. which are not prime numbers.

$$\begin{array}{r} 2 \overline{) 3150} \\ \underline{2} \\ 5 \overline{) 1575} \\ \underline{5} \\ 5 \overline{) 315} \\ \underline{5} \\ 7 \overline{) 63} \\ \underline{7} \\ 3 \overline{) 9} \\ \underline{3} \\ 3 \overline{) 3} \\ \underline{3} \\ 1 \end{array}$$

⑦ Perfect Squares

ex: 4, 9, 36, 49, 64, ... 100, 121, ...

- Properties:
- ① A sq no. never ends with 2, 3, 7, 8
 - ② No perf sq ends with an odd no. of zeros.

③ Upon prime factorisation all their prime factors have even multiplicities.

ex: $(900) = (3^2) \times (5^2) \times (2^2)$

$$\begin{array}{r} 3 \overline{) 900} \\ \underline{3} \\ 3 \overline{) 300} \\ \underline{3} \\ 5 \overline{) 100} \\ \underline{5} \\ 5 \overline{) 20} \\ \underline{5} \\ 2 \overline{) 4} \\ \underline{2} \\ 2 \end{array}$$

Test of Divisibility

- ① by 2 \rightarrow last digit is even i.e. 0, 2, 4, 6, or 8.
- ② by 3 \rightarrow sum of its digits divisible by 3
- ③ by 4 \rightarrow no. formed by last 2 digits is divisible by 4.
- ④ by 5 \rightarrow last digit is 0 or 5.
- ⑤ by 6 \rightarrow if a number is divisible by both 2 and 3.
- ⑥ by 7 \rightarrow subtract twice the unit digit from the number represented by the remaining digits of the number to obtain an integer.

Now the original number is divisible by 7 if the obtained integer is divisible by 7.

Ex: $\overline{343}$

- \rightarrow step 1 \rightarrow unit digit is 3
- step 2 \rightarrow $3 \times 2 = 3 \times 2 = 6 \checkmark$
- step 3 \rightarrow $34 - 6 = 28$
- step 4 \rightarrow 28 is divisible by 7
 $\therefore 343$ is divisible by 7

- ⑧ by 8 \rightarrow number formed by the last 3 digits is divisible by 8.
- ⑨ by 9 \rightarrow if sum of the digits is divisible by 9.

... .. n. with 0.

⑨ 7 1 7 7

⑩ by 10 → if the number ends with 0.

⑪ by 11 → if the difference of sum of the digits in the even and odd position in the number is divisible by 11.

ex: $\overset{\checkmark}{9}\overset{\checkmark}{7}\overset{\checkmark}{9}$ divisible by 11? **Yes**

sum of odd position = $9+9=18$

sum... even = 7

difference = $18-7=11$ divisible by 11 ✓

* Greatest Common Divisor (GCD OR HCF)

Q HCF of 504 and 264

✓ prime factors of 504 = $2^3 \times 3^2 \times 7$

✓ " " of 264 = $2^3 \times 3 \times 11$

∴ HCF of 264 and 504 = $2^3 \times 3 = 8 \times 3 = 24$ (ans).

2 | 264
 2 | 132
 2 | 66
 2 | 33
 3 | 11
 11

2 | 504
 2 | 252
 2 | 126
 3 | 63
 7 | 21
 3

LCM of 504 and 264 = $2^3 \times 3^2 \times 7 \times 11 = 5544$ (ans)

Properties

1. LCM &

Properties

- ① Product of Two no. = Prod of GCD & LCM
 - ② HCF of given no always divides their LCM
 - ③ HCF of given fraction = $\frac{\text{HCF of Num}}{\text{LCM of Denom- inator}}$
 - ④ LCM of given fraction = $\frac{\text{LCM of Num-erator}}{\text{HCF of Denom-inator}}$
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