

Exceptions to the law of demand:

↓  
violation

(Demand curve is not downward sloping).

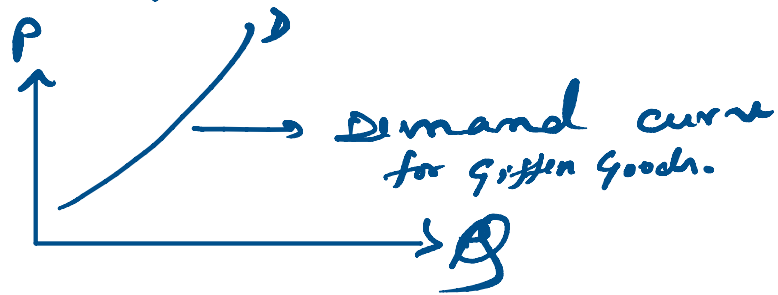
①. Giffen Effect is when the price of a commodity (say potato) rises, people tend to reduce the purchase of other commodities which are more expensive (say meat) to increase the consumption of potato.

Thus when the price of potato falls, the consumer's purchasing power increases, which means the consumer's real income has increased.

So consumption of potato decreases as the real income of the consumer has increased even though the price of potato has decreased. ~~At the~~

In law of demand, as the price of a commodity falls, its consumption rises due to substitution effect (SE). And in this case, Income Effect (IE) is so strong that it dominates the SE.

And in this case, it is so strong that it dominates the SE. and there is a positive relation between price and quantity demand. Thus law of Demand is violated and there is an upward sloping demand curve in case of Giffen Goods.



(ii) Conspicuous Consumption → purchasing to show-off.

(iii) Bandwagon effect : →

(iv) Snob effect : →

(v) Vebler effect :

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## Axioms of Ordinal Utility Theory

(1) Completeness

... according to preference

- (1) Complete order  
Ranking bundles according to preference  
of the consumer.
- (2) Transitivity: If a bundle  $A, B, C$   
then transitivity implies,  
If  $A \succeq B$ ,  $B \succeq C$   
 $\rightarrow A \succeq C$ .
- (3) Reflexiveness: If two bundles  $A$  and  $B$   
are completely identical, then  
consumer is indifferent between  
 $A$  and  $B$ .  
ie  $A \sim B$ .
- (4) Non-satiation: also known as  
axiom of dominance.  
ie a consumer always prefers  
more to less.
- (5) Continuity: This axiom states that  
even if there is a very  
small change in  
quantity of a good,  
there will be change in  
ranking of bundles.

ranking of goods

⑥ Convexity: This axiom states that if commodity bundles 'A' and 'B' are indifferent then any convex combination of 'A' and 'B' should be in the convex set.  
 i.e., average is better than extreme set.

Indifference Curve (IC):

Total utility from consumption of two commodities X and Y is denoted as

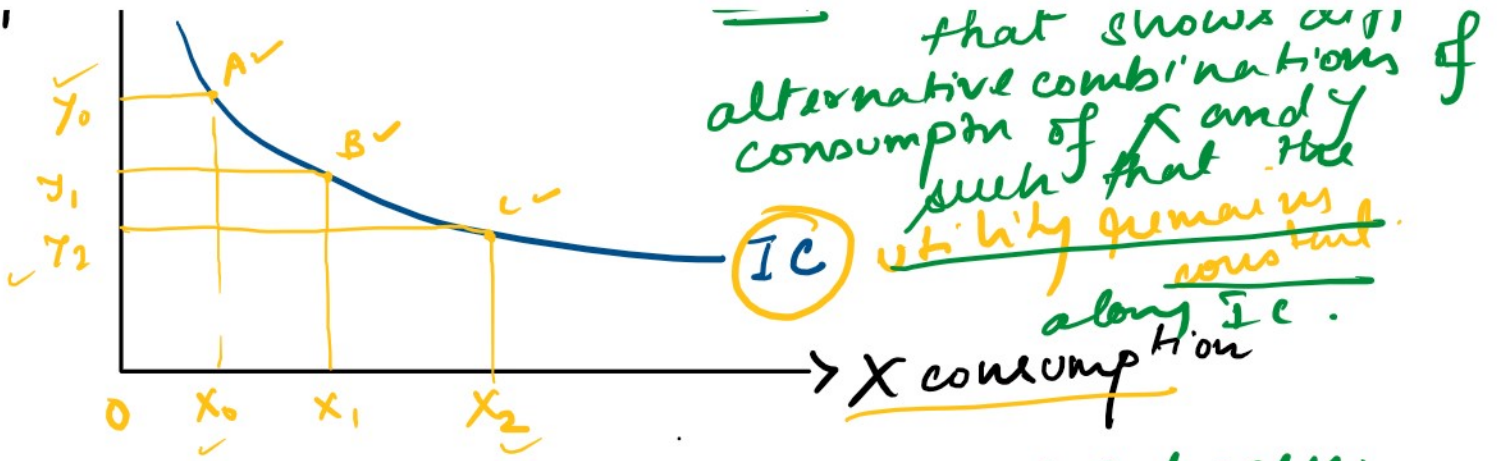
$$U = U(X, Y)$$

when this utility is constant (we can draw an IC for different combination of X and Y).

def: IC is a line that shows different alternative combinations of







Because there is a trade off between the amount of consumption of X and Y  $\therefore$  IC is downward sloping.

What is the slope of an indifference curve?

$U = U(x, y)$  (utility fn).  
Total derivative of this utility fn is

$$dU = \frac{\partial U}{\partial x} \cdot dx + \frac{\partial U}{\partial y} \cdot dy$$

Since utility is constant along an IC

$$\therefore dU = 0$$

$$0 = \frac{\partial U}{\partial x} \cdot dx + \frac{\partial U}{\partial y} \cdot dy$$

$$\text{or } - \frac{\partial U}{\partial x} dx = \frac{\partial U}{\partial y} dy$$

$$\text{or, } \frac{dy}{dx} = - \frac{\partial U / \partial x}{\partial U / \partial y}$$

(Slope)

$$\text{or, } \frac{dy}{dx} = - \frac{MU_x}{MU_y} < 0 \quad (\text{slope of IC})$$

$\therefore$  IC is downward sloping

# Marginal Rate of Substitution  
between  $x$  and  $y$   
( $MRS_{x,y}$ )

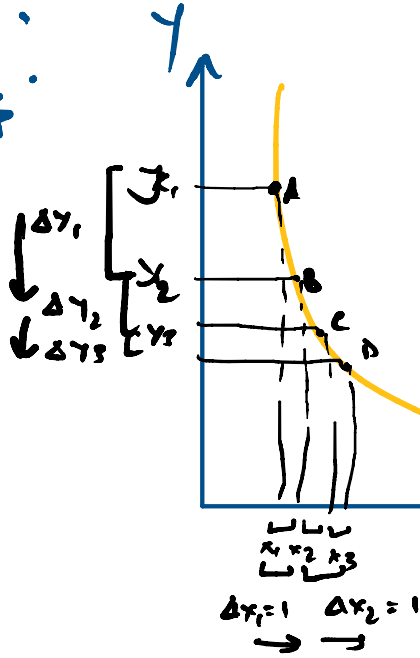
↳ it is the amount of  $y$  consumption given up or sacrificed for each additional unit of  $x$  consumption by a consumer to keep the satisfaction level or utility constant (i.e. to stay on same IC)

$$MRS_{x,y} = \left| \frac{MU_x}{MU_y} \right|$$

Since  $MRS_{x,y}$  is diminishing.

$\therefore$  IC is convex to the origin.

Proof:



from A to B  $\Delta y_1 > \Delta y_2$   
for  $\Delta x_1 = \Delta x_2 = 1$  unit.

$$\therefore \frac{\Delta y_1}{\Delta x_2} > \frac{\Delta y_2}{\Delta x_2}$$
$$MRS_{y_1, x_1} > MRS_{y_2, x_2} > \dots$$

$\therefore$  MRS is diminishing  
And IC is convex