

Q1 : A consumer consumes two commodities in quantities F and C.

It is given that $P_F = 5$ and $P_C = 1$
and income (m) = 40.

$$MRS = \frac{40 - 5F}{30 - C}$$

Find the best choice bundle for the consumer.

The budget equation of the consumer is

$$M = P_F \cdot F + P_C \cdot C$$

$$\boxed{40 = 5F + C} \quad \text{--- (1)}$$

slope of budget line, $\frac{dC}{dF} = -\frac{P_F}{P_C} = -5$

Also given $MRS = \frac{40 - 5F}{30 - C}$

In consumer's equilibrium, $MRS = \frac{P_F}{P_C}$

$$\text{or, } \frac{40 - 5F}{30 - C} = 5$$

$$\text{or, } 40 - 5F = 150 - 5C$$

$$\text{or, } 5C - 5F = 110$$

$$\text{or, } C - F = 22 \quad \text{--- (2)}$$

Subtracting eq (2) from eq (1)

$$\begin{array}{r} \cancel{C} + 5F = 40 \\ - \quad - F = 22 \\ \hline \end{array}$$

$$\begin{array}{r}
 Q + 5F = 10 \\
 C - F = 22 \\
 \hline
 6F = 18 \\
 \boxed{F = 3 \text{ units}}
 \end{array}$$

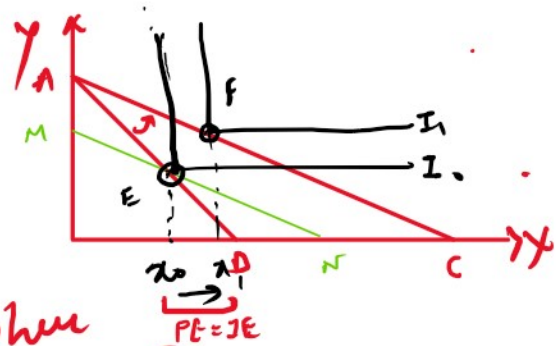
$$\begin{array}{l}
 \therefore C = 22 + F \\
 \boxed{C = 25 \text{ units}}
 \end{array}$$

Therefore the best choice bundle for the consumer is $(3, 25)$.

Q2 Show decomposition of price effect in case of
(a) Perfect Compliments

In case of perfect compliments indifference curve is L-shaped. Now AB is the initial budget line where initial equilibrium is at pt E and enjoys the utility level I_0 .

Due to fall in price of X, budget line rotates anticlockwise to AC where equil is at point F.



When income away such that new budget line is MN and the consumer can consume at pt E and remain on same indifference curve I_0 .

So in this with the help of Slutsky's ... needed for commodity

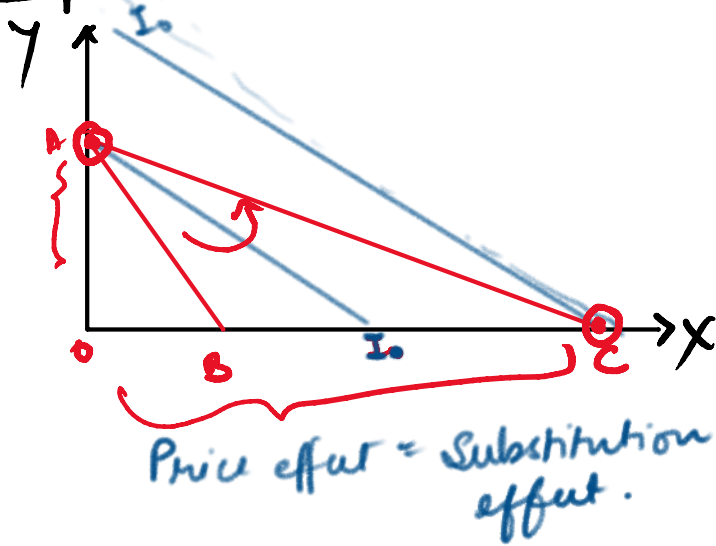
So in this with the help of Slutsky decomposition, change in demand for commodity x is entirely due to income effect as shown by movement from pt E to F.

$$PE = SE + IE$$

$$PE = 0 + IE$$

$PE = IE$ in case of perfect complements.

(b) Perfect Substitutes



initially $P_y < P_x$
 (AB \rightarrow Budget)
 Corner solution at A (since Y is cheaper)
 P_x decrease such that $P_y > P_x$
 (Budget line rotate and consumer consumes at C)

Q3 What is lexicographic ordering?
 Can you draw an IC for this type of preference?
 If not which axiom of choice has been violated?

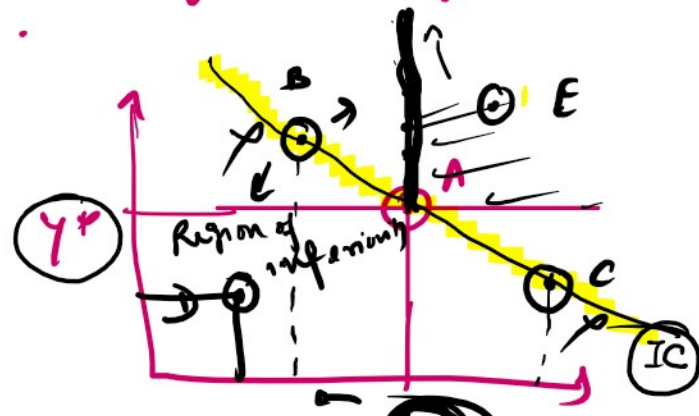
If a consumer always prefer a commodity bundle with more of good X irrespective of the amount of good

If a consumer prefers more of good X irrespective of the amount of good Y and if at the same time, two commodity bundles contain same amount of good X , then the consumer prefers the bundle with more of good Y . This type of ranking or ordering is called Lexicographic ordering. For this kind of ordering, indifference curve doesn't exist.



Always a preferred to point and not indifferent to

z is pref A } No point of indiff \rightarrow NO IC X.
 A is pref w

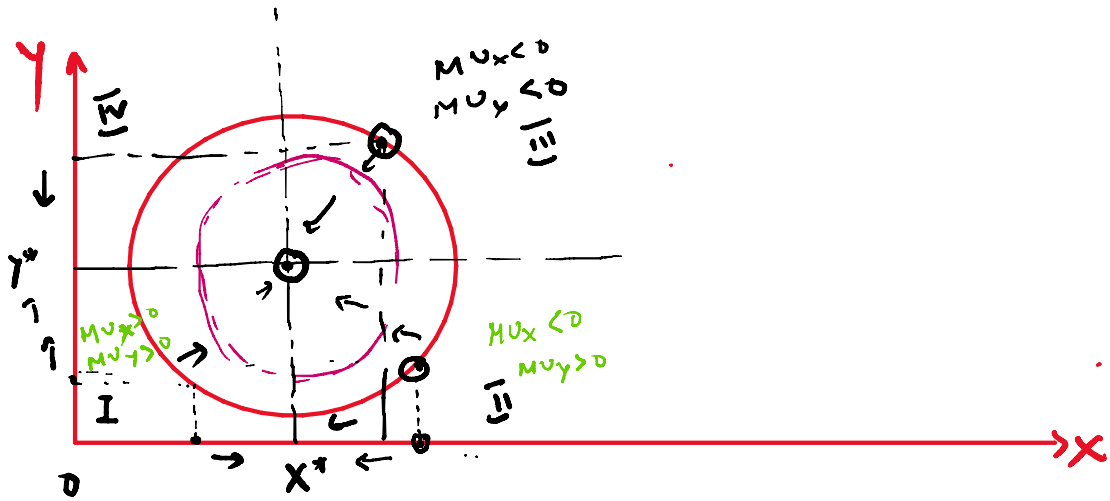


pt B is inferior to A
 pt E is superior to A
 B and C and A
 (consumer is indifferent)

This type of ordering violates the axiom of continuity which states that there exist a set of points on a boundary dividing the commodity space into less preferred to and more preferred to. That there are points of indifference

more less preferred areas such that there are points of indifference to each other. But in lexicographic ordering there are no set of points on boundary that divides the commodity space into two with a relation of indifference.

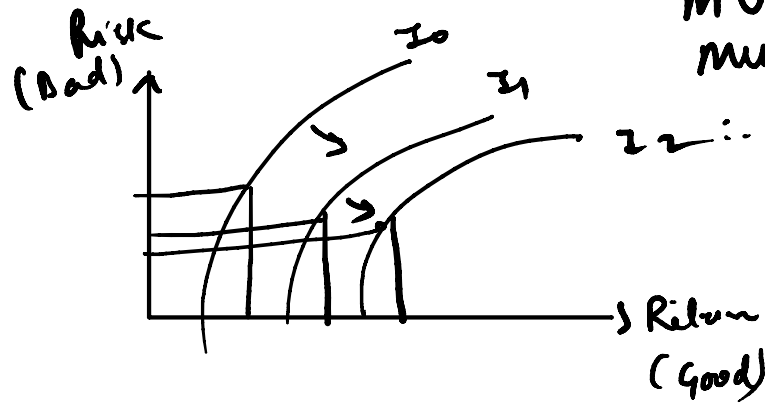
Different shapes of Indifference Curve:



Zone	X	Y	Shape of IC
I	Good	Good	$MU_x > 0, MU_y > 0$ slope = $-\frac{MU_x}{MU_y} < 0$ (IC is downward & convex)
II	Bad	Good	$MU_x < 0, MU_y > 0$ slope IC > 0 and convex.
III	Bad	Bad	$MU_x < 0, MU_y < 0 \Rightarrow$ IC is -vely sloped and concave.
IV	Good	Bad	$MU_x > 0, MU_y < 0 \Rightarrow$ IC is +vely sloped and concave.

Q4 Construct a set of ICs for a person who doesn't like X but like Y.

Q4 Construct a set of ICs for a person who -
like risk just like return.



MU of Return > 0
MU of Risk < 0
 \therefore slope > 0 .