

# Properties of Indifference Curve

① IC is downward sloping.

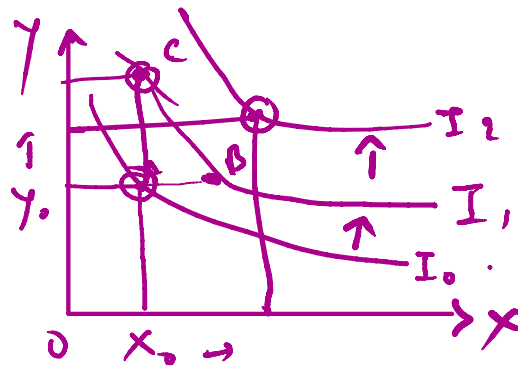
Slope of IC,  $\frac{dy}{dx} = - \frac{MU_x}{MU_y} < 0$

② IC is convex to the origin because of diminishing  $MRS_{x,y}$ .

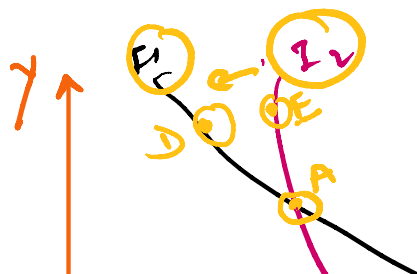
$$MRS_{x,y} = \frac{MU_x}{MU_y}$$

(Absolute value of slope)

③ Higher the IC, higher is the level of satisfaction (i.e. utility).

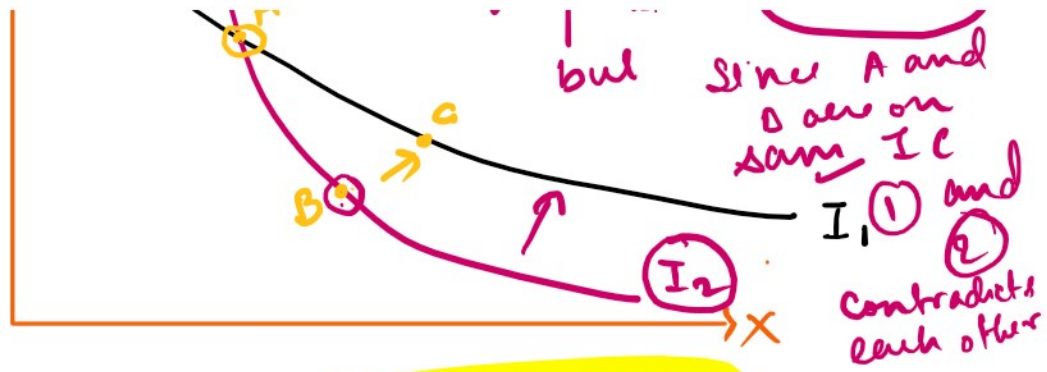


④ Two ICs can never intersect each other.



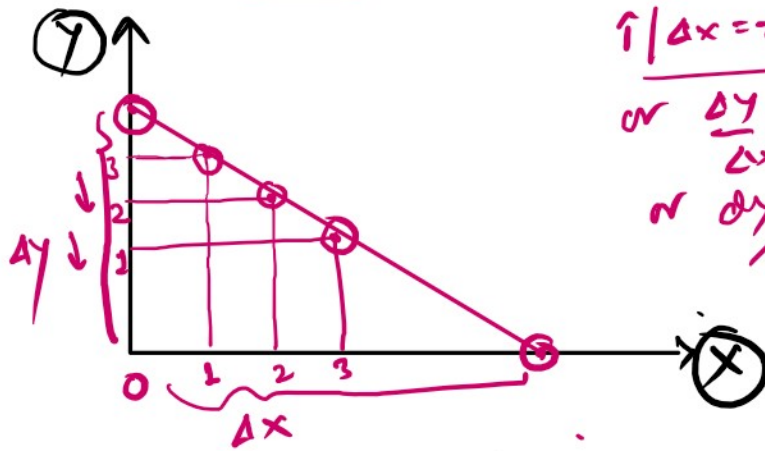
At pt A  $\rightarrow I_1 = I_2$  ①

at pt B  $\rightarrow I_2 < I_1$  ②  
but since A and ...

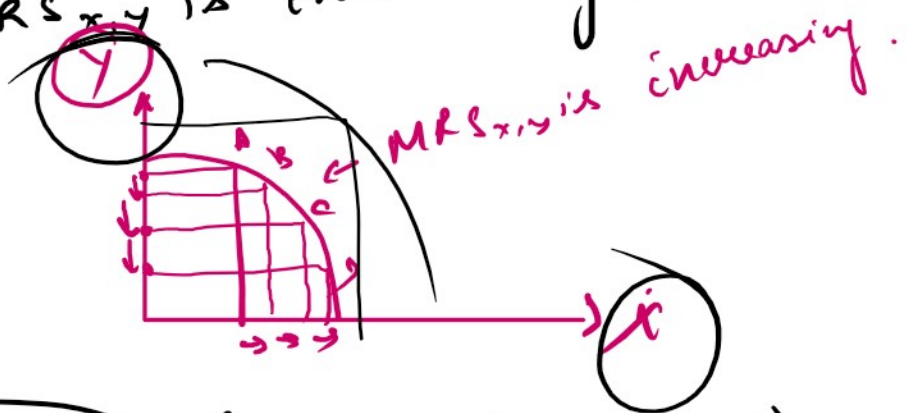


Special cases : ① **Perfect substitutes.**

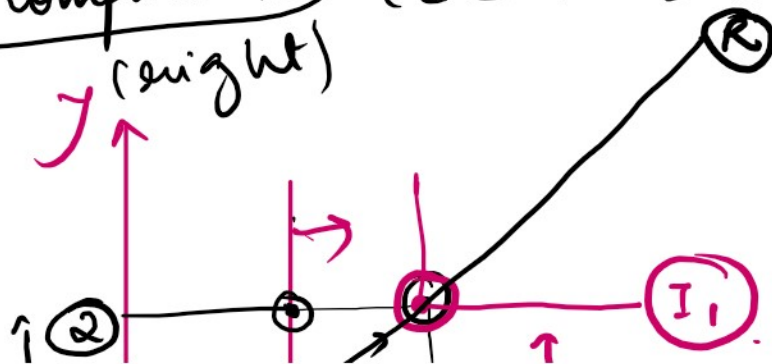
$\Rightarrow$  MRS is constant.



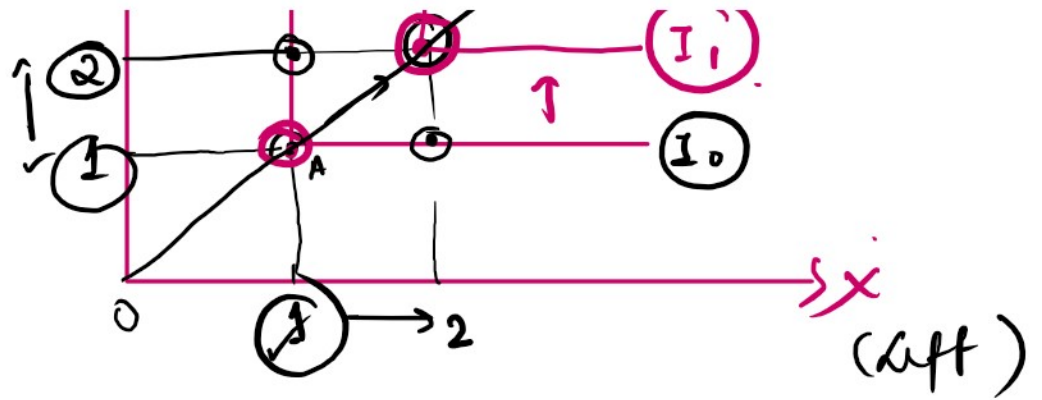
② When IC is concave to the origin MRS<sub>x,y</sub> is increasing.



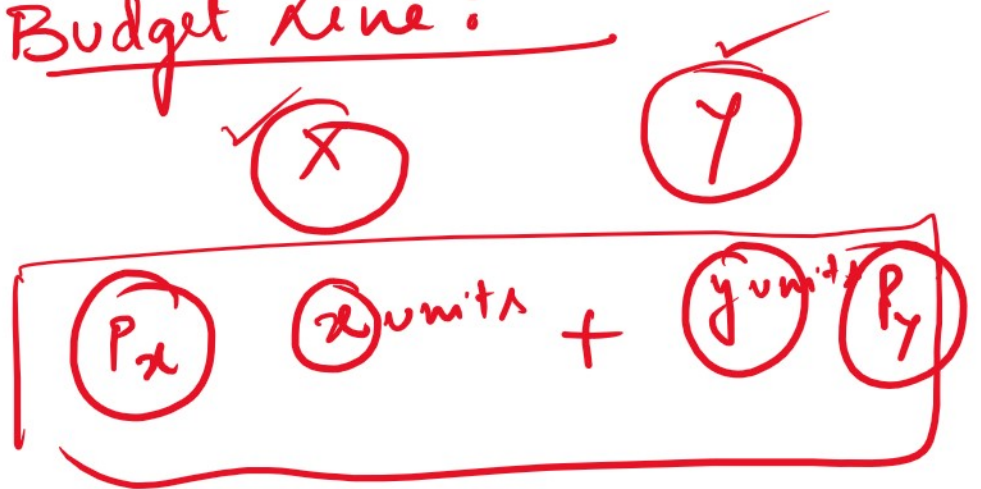
③ **Perfect compliments** (IC is L-shaped)



$MRS = 0$   
 or  $MRS \rightarrow \infty$   
 so  $MRS$  is constant.



## Concept of Budget Line:



$$IE = P_x \cdot x + P_y \cdot y$$

let  $M$  be the income of the consumer

then the budget constraint is

$$M \geq P_x \cdot x + P_y \cdot y$$

And the budget Equation is

$$M = P_x \cdot x + P_y \cdot y$$

Defn: locus of different points which shows alternative combinations of purchase of two commodities X and Y at per unit price  $P_x$  and  $P_y$  respectively, such that the income of the consumer <sup>(M)</sup> is same or constant.

Slope of Budget line:

$$M = P_x \cdot x + P_y \cdot y$$

Let us differentiate the budget equation with respect to x.

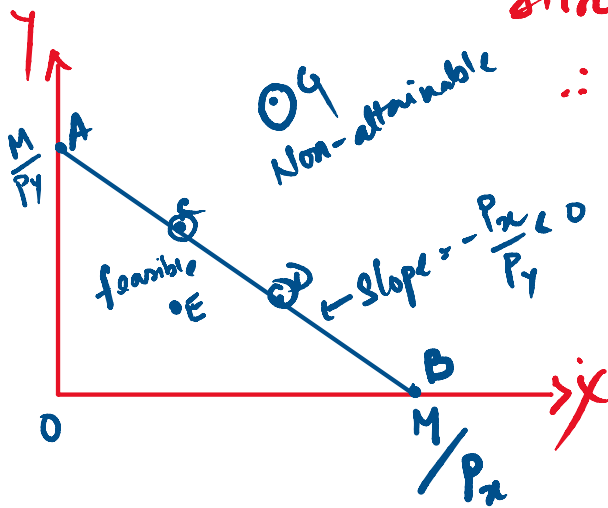
$$\frac{dM}{dx} = P_x + P_y \cdot \frac{dy}{dx}$$

Since M is const along Budget line  $\therefore dM/dx = 0$

$$0 = P_x + P_y \frac{dy}{dx}$$

$$\frac{dy}{dx} = -P_x/P_y < 0$$

$\therefore$  Budget line is a downward sloping straight line because  $P_x$  and  $P_y$  are const.



Budget eqn:  $P_x \cdot x + P_y \cdot y = M$

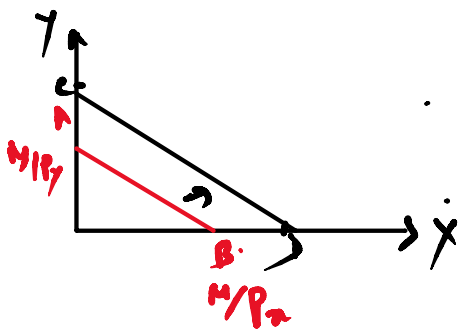
if  $x = 0$  then  $y = \frac{M}{P_y}$   
 and if  $y = 0$  then  $x = \frac{M}{P_x}$

and if  $\dot{y} = 0$  then  $\dot{x} = \frac{M}{P_x}$

## # Changes in Budget Line:

① Let us increase income (keeping  $P_x$  and  $P_y$  const)

When  $M_0$  is initial income & AB increase the income to  $M_1$ ,



then the  $y$  and  $x$  intercept will shift up and right respectively such that the budget line CD is parallel and on right side of AB.

Slope remains constant i.e. slope of CD =  $-\frac{P_x}{P_y} < 0$

Case 2  $P_x$  increases while  $P_y$  and  $M$  remains constant

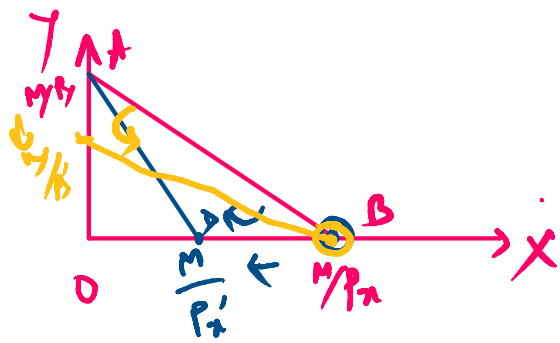
$$M = P_x \cdot x + P_y \cdot y$$

$$\text{slope(AB)} = -\frac{P_x}{P_y} < 0$$

Since price of  $x$  increases to  $P_x'$

then slope of AD =  $-\frac{P_x'}{P_y}$  is greater than AB.

T.A.E



(Step 1)  
that AB.

$P_y$

AB will rotate/swing  
clockwise to the position  
AD.

HW ① What will happen to the shape  
of Budget line if

(a)  $P_x$  decreases

(b)  $P_y$  decreases

(c) If  $(M, P_x, P_y)$  are doubled.