

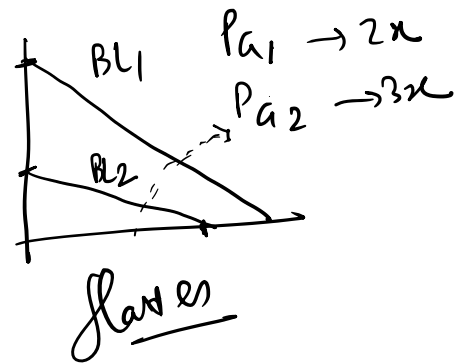
Micro



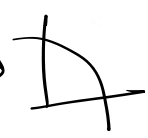
$$P_1B_1 + P_2B_2 = M$$

1. Suppose good 1 is taken on the horizontal axis and good 2 on vertical axis, then what happens to the budget line if the price of good 1 doubles and price of good 2 triples?
- (a) The budget line becomes steeper
 - (b) The budget line becomes flatter
 - (c) The budget line become vertical
 - (d) The budget line remains unchanged

steeper
flatter



2. Properties of expenditure function are (in the context of utility theory),
- A. Homogeneous of degree one in price, P
 - B. Strictly increasing in utility, u and non-decreasing in price, P for any good 1.
 - C. Concave in P
 - D. Continuous in P and u
 - E. Strictly convex in P



Choose the correct answer from the option given below:

(a) A, C, D, E only (b) A, B, D, E only
 (c) A, B, C, D only (d) B, C, D, E only

A, C, D

$$U(x_1, x_2, \dots, x_n)$$

$$p_1, p_2, \dots, p_n$$

$$E(p, U) = \min \sum p_i x_i$$

Subject to $U(x_1, x_2, \dots, x_n) \geq U$

$$2x + 3y^3 = U$$

$$2xy + 3y^2 = U$$

$$\frac{d}{dp} E(p, U) > 0 \quad \geq 0$$

$f''(a) < 0$
 Concave down
 Inverted Bowl

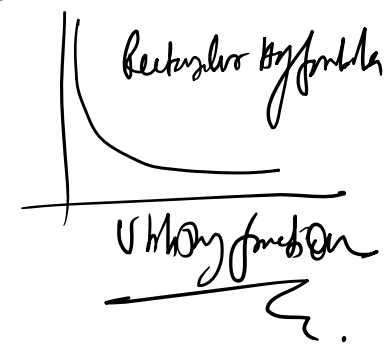
$f''(x) > 0$
 Concave up
 Bowl

Assume

3. The utility function of a consumer is given by $U = f(q_1, q_2) = q_1 \cdot q_2$, suppose the price of q_1 is $P_{q_1} = 1$ and price of q_2 is $P_{q_2} = 2$. The consumer wants to spend amount of k units only what will be his demand for q_1 and q_2 ?
- (a) $(q_1, q_2) = (k, \frac{k}{2})$ (b) $(q_1, q_2) = (\frac{k}{4}, \frac{k}{6})$
 (c) $(q_1, q_2) = (\frac{k}{2}, \frac{k}{4})$ (d) $(q_1, q_2) = (\frac{k}{2}, \frac{k}{3})$

$$p_{q_1} \cdot x + p_{q_2} \cdot y = k \quad x + 2 \cdot y = k \quad x + y = \frac{k}{2}$$

more \downarrow q_1, q_2 \rightarrow xy



- (a) $(q_1, q_2) = (k, \frac{k}{2})$ (b) $(q_1, q_2) = (\frac{k}{4}, \frac{k}{6})$
 (c) $(q_1, q_2) = (\frac{k}{2}, \frac{k}{4})$ (d) $(q_1, q_2) = (\frac{k}{2}, \frac{k}{3})$

$$L(x, y, \lambda) = xy + \lambda(k - x - 2y)$$

$$\frac{\partial L}{\partial x} = y - \lambda = 0$$

$$\frac{\partial L}{\partial y} = x - 2\lambda = 0$$

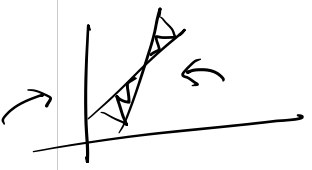
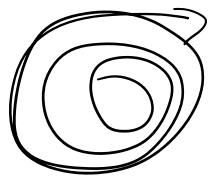
$$k - x - 2y = 0$$

$$\lambda = 2\lambda$$

$$2\lambda + 2\lambda = k - 4\lambda$$

$$y = \lambda = \frac{k}{4}$$

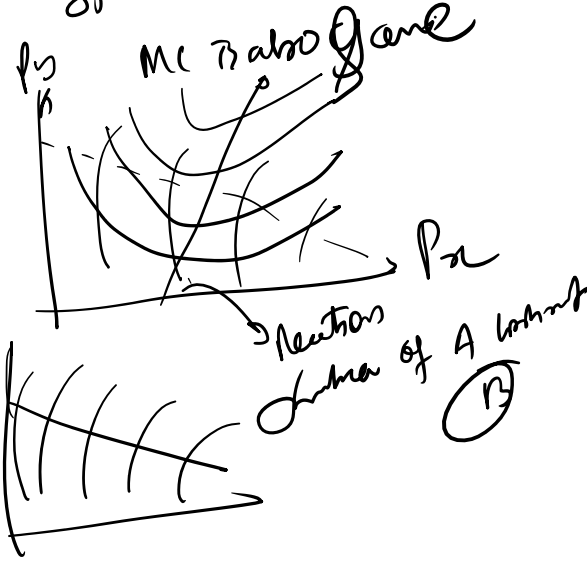
$$x = 2\lambda = 2\left(\frac{k}{4}\right) = \frac{k}{2}$$



1883

affiliated
 Sometimes assess/define

5. Which of the following holds for Bertrand's Duopoly model.
- A. The reaction curves are derived from isoprofit maps which are convex to the axes.
 - B. The point of intersection of the two reaction curves reflects a stable equilibrium.
 - C. The reaction curves are derived from isoprofit maps which are concave to the axes.
 - D. The point of intersection of the two reaction curves reflects an unstable equilibrium.
 - E. Firm's behavioral pattern is such that they learn from past experience. (Freud on hand)



Choose the correct answer from the option given below:

- (a) A and B only (b) C and D only
- (c) A, D and E only (d) B, C and E only

Q

Which one of the following is not a characteristic of market structure?

- (a) Degree of buyers' concentration
- (b) Degree of Sellers' concentration
- (c) Conditions of entry
- (d) Vertical integration

Buyer entry & seller entry

entry defense.

merging with other
 here expansion can happen
 by expanding consumer base...

In the price Bargain
 Buyer can have more
 benefits than seller

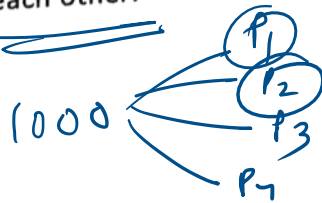
8. Which of the following is not true in the case of the second theorem of welfare economics?

(a) If consumers exhibit convex preferences, every Pareto efficient allocation is a possible competitive equilibrium in a pure exchange economy.

(b) In an economy involving production, the convexity of production sets ensures that a Pareto efficient allocation can be achieved as a market equilibrium.

(c) It holds when there are increasing returns to scale.

(d) It implies that in the market system, the allocative role and the distributive role can be separated from each other.



Capitally approach

1st then

Complete market equilibrium will lead to Pareto-efficient allocation of Resources.

2nd then

Pareto efficient allocation can be achieved through Complete equilibrium provided lump-sum redistributions are possible.

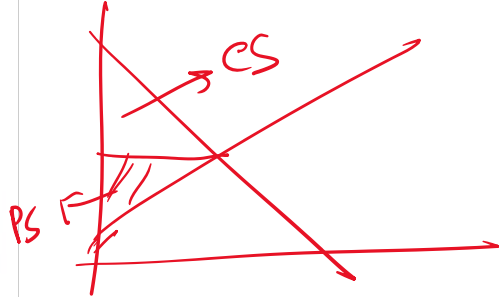
$MPL > w$ $MPK > r$

10. Which one of the following is not true in case of producer's equilibrium?

- (a) $\frac{MPL}{MPK} = \frac{w}{r}$
- (b) $MRTS_{LK} = \frac{MPL}{MPK} = \frac{w}{r}$
- (c) $\frac{MPL}{w} = \frac{MPK}{r}$
- (d) $MRTS_{LK} = \frac{r}{w}$

that means whatever is
 cheaper is being
added more
 → purchased more

11. If the demand and supply functions are given $P_d = 20 - 5x$ and $P_s = 4x + 8$; obtain Producer's surplus
- (a) $31/9$ (b) $32/9$
 (c) $129/9$ (d) $29/9$



At eqm

$$20 - 5x = 4x + 8$$

$$x = 4/3$$

$$P = 20 - 5(4/3)$$

$$6.67$$

$$\int_0^{4/3} (4x + 8) dx$$

$$\frac{dQ_A}{dP_B} \times \frac{P_B}{Q_A} = 0.3 \times 10$$

$$Q_A = 100 - 2P_A + 0.2Y + 0.3P_B$$

$$\frac{dQ_A}{dP_B} = 0.3$$

$$\frac{2}{10} \times 500$$

12. The demand function for Good A is given by $Q_A = 100 - 2P_A + 0.2Y + 0.3P_B$.

Find the cross-price elasticities of demand at $P_A = 6$, $Y = 500$, $P_B = 10$.

- (a) 0.06 (b) 0.026
(c) 0.52 (d) - 0.06

$$100 - 12 + 100 + 18$$

$$= 206 - 12$$

MRS $\begin{cases} 0 \\ \infty \end{cases}$

13. In case of two goods for which the MRS is zero or infinite, then the nature of goods is:

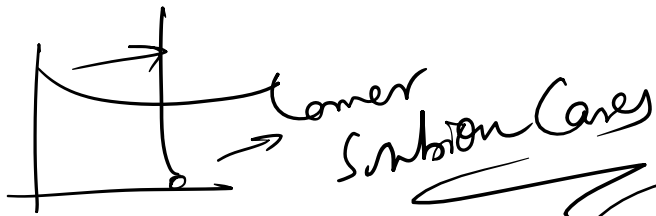
- (a) Perfect substitutes
- (b) Normal goods
- (c) Perfect complements
- (d) Close substitutes

Complete \rightarrow Substitute
Complements \rightarrow Complement

either Joint consumption

or

NO Consumption



$IE + SE =$ Thus

14. Which of the following is not true?

(a)

(a) Total effect of price change on consumption of a good is a combination of income effect and substitution effect

~~(b)~~

(b) For inferior goods, the income effect is always larger than the substitution effect, in absolute terms.

~~(c)~~

(c) For corner solution $MRS_{xy} \neq \frac{P_x}{P_y}$

(b)

(d) For a normal good both the income and substitution effect hold

$IE < 0$

$SE > IE$

$SE > 0$

Inferior Good

$dd \downarrow$ Income \uparrow

Upper Good \rightarrow NO change

$dd \uparrow$ Price \uparrow

P rice Smoky reduce quantity for

Potato famine

Area

Difference
 $Area < 0$ (IE)

Price effect IG Normal
Revenue (IE) for Area

15. The negative network externality in which a consumer wishes to own an exclusive or unique good such as specially designed sports car is:

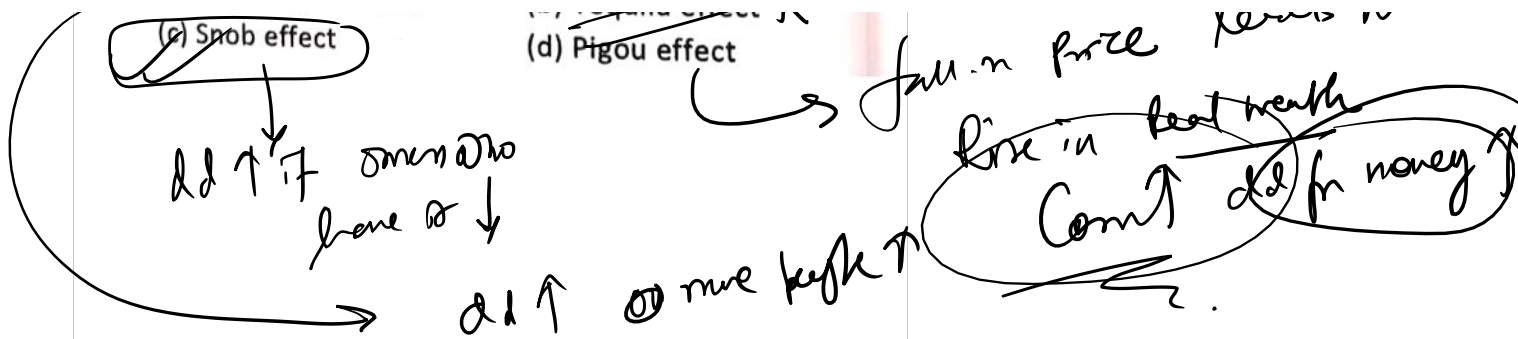
(a) Bandwagon effect

~~(b) Tequila effect~~

(c) Snob effect

(d) Pigou effect

\rightarrow fall in price leads to \uparrow wealth



17. A game in which the gains or losses of one player or firm do not come at the expenses of or provide equal benefit to the other player or firm, is known as

- (a) Zero-Sum game
- (b) Non-Zero Sum game
- (c) Mixed game
- (d) Balanced game