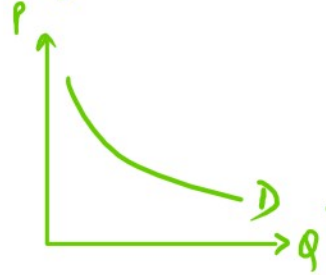


Demand → ① Law of demand. (inverse relation b/w P and Q.)

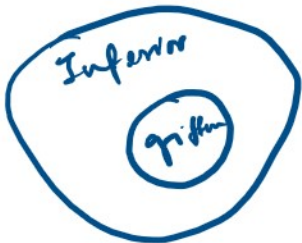


② Types of Goods.

1. Normal Goods → +ve relation b/w income and demand.

2. Inferior Goods (Non-luxury) → -ve relation b/w income & demand.

3. Giffen Goods → +ve relation b/w P and Q (exception to law of demand).
Non-luxurious goods → bread, rice, wheat.



* All giffen goods are inferior goods but vice-versa is not true.

4. Substitute Goods → replace with (substitute) cheaper good.
Ex: tea/coffee.



5. Complimentary Goods → these goods are consumed together.
Ex: car/petrol.

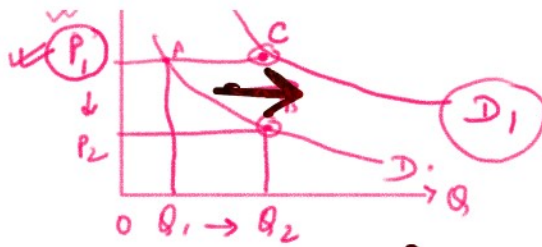


If Price changes (other factors like M, P^c, P^s, T, w, ... const) → No shift in demand curve (move along same demand curve)

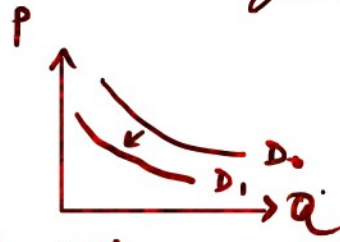
But if Price is const along with other factors such as P^c, P^s, T, w, ... and say income (M) of consumer has ↑ed, then demand curve will shift to the right.



(↑ in income, demand curve will shift to right)



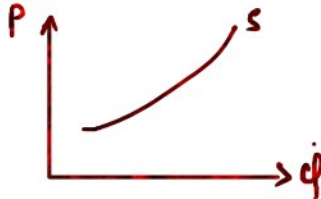
demand curve will shift to right if \downarrow in demand, demand curve will shift to left.



Law of supply

①

(+ve relation between P and Q)



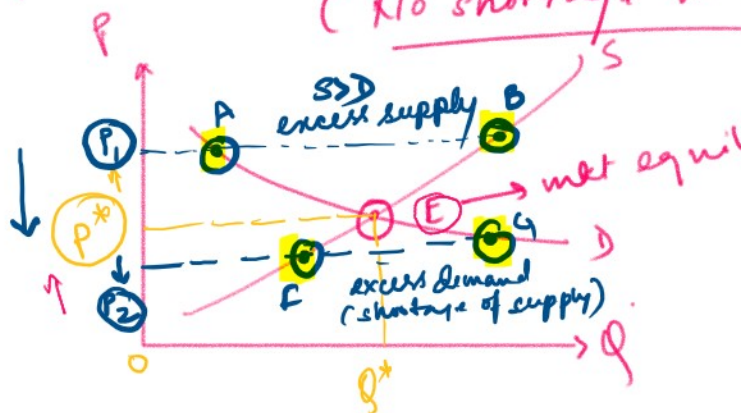
② factors that shift supply curve

- a) Technology (improvement the S will shift right)
- b) Innovations
- c) Climatic change
- d) Availability of inputs
- e) Cost of inputs.

* increase in supply (right shift)
* decrease in supply (left shift).

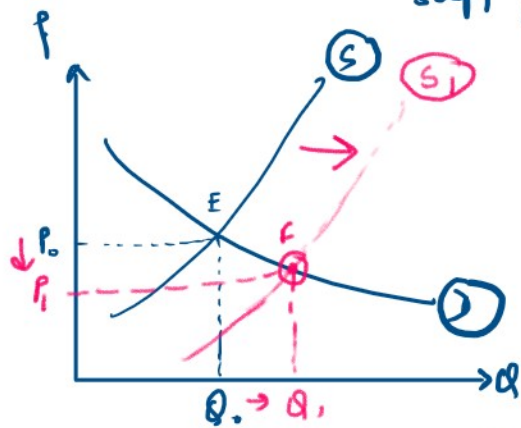
③ Market Equilibrium

↳ pt where market clears, i.e., $D = S$.
(No shortage or No excess supply)



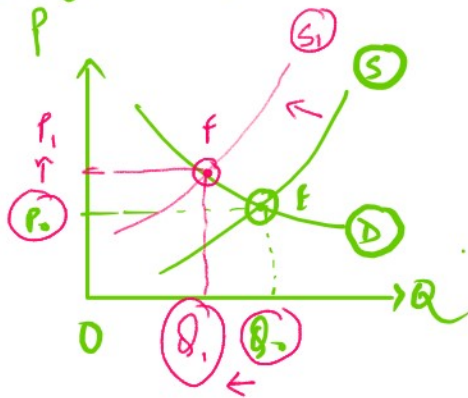
④ Change in market equilibrium (ie change in equilibrium price / equilibrium quantity)

→ if demand is const, but supply increases. (suppose new technology is used by a firm)
 ↓ supply curve will shift right.



(Decrease in equil price Panel 1 & increase in equil Q)

Ex: suppose the crop production is destroyed due to heavy rain. what will be the new equil price & equil quantity?
 (fall in supply → leftward shift of supply curve).

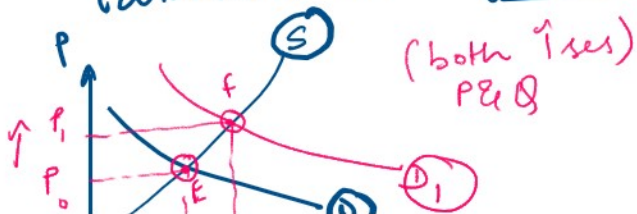


(increase in equil price and decrease in equil Q.)

Conclusion: D is same, only changes → equil P and equil Q moves in opp direction.

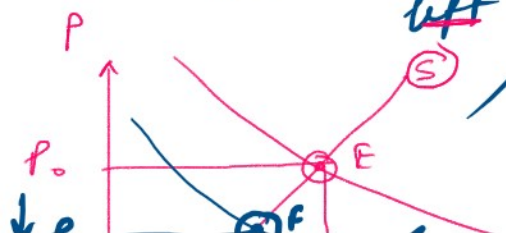
b) Supply is constant, but demand changes.

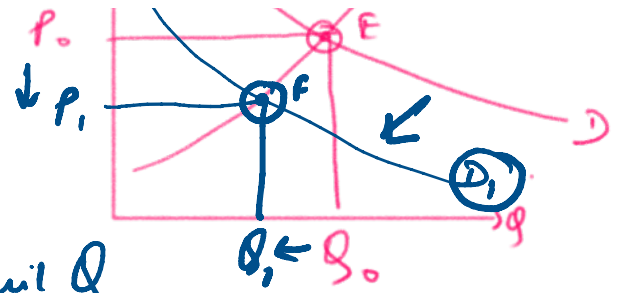
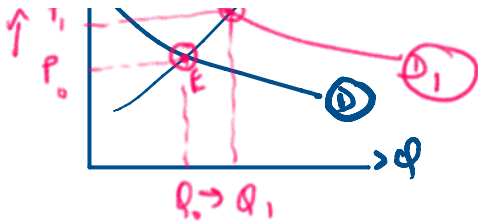
i) demand increases
 (demand curve shifts right)



(both ↑) P & Q

(ii) demand decreases
 (curve shifts left)

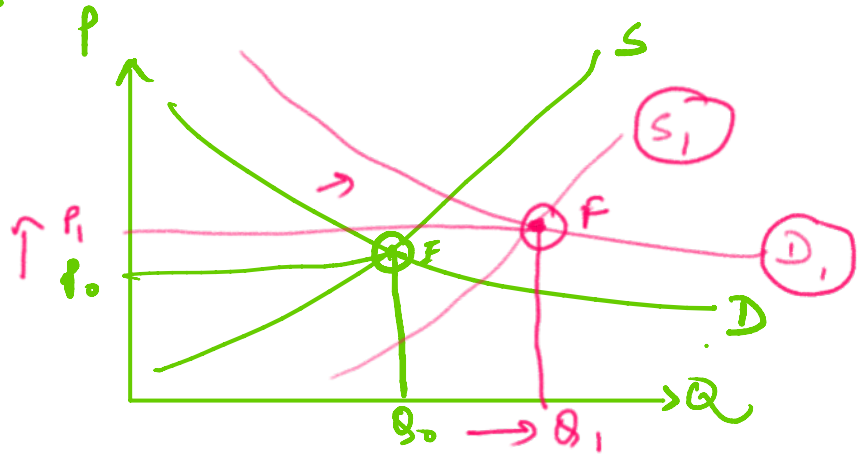




⊕ Both equilibrium price and equilibrium quantity moves in same direction.

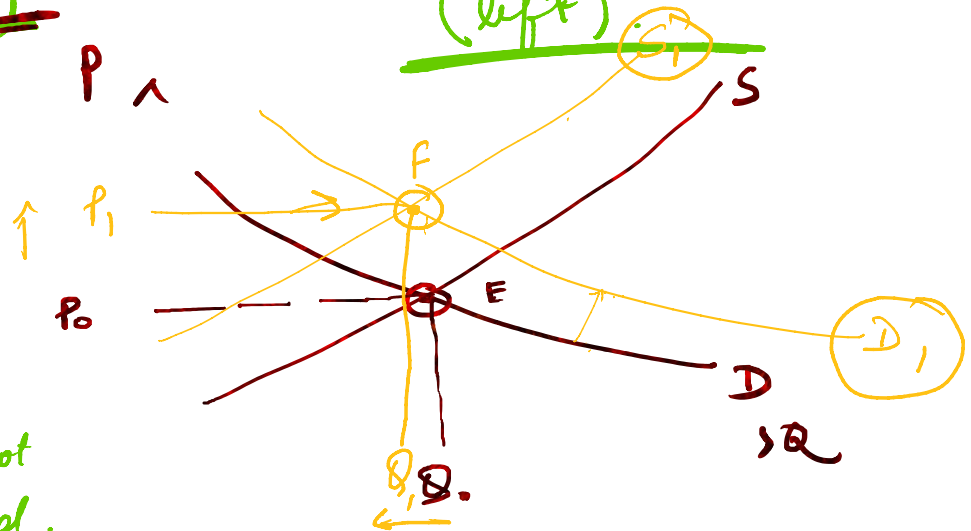
⇒ both demand and supply increases (right).

equilibrium price can be determined (either it will rise or it will be) but equilibrium quantity is indetermined.



⇒ if demand rises and supply decreases (left).

⊕ equilibrium price can be determined equilibrium. but quantity cannot be determined.



———— * ————

Topic 2: CONSUMER BEHAVIOUR.

Let us say we have two commodities X and Y

① The level of satisfaction after consuming X and Y is called total utility (TU).

② marginal utility (MU_x) from consuming X commodity.

[i.e., change in total utility (TU) due to change in consumption of commodity 'X' by one unit. i.e., $MU_x = \frac{\Delta TU}{\Delta x}$ or $\frac{d(TU)}{dx}$]

Introduction to Cardinal and Ordinal Utility
giving (numbers) quantitative to satisfaction.
(Ranking)

1. Cardinal ^(CU) utility → determines satisfaction level with a numeric value.

v/s Ordinal ^(OU) utility → ranks in order of preference but cannot evaluate numerically.

2. CU → measured in 'utils'
v/s OU → measured in 'ranks'.

3. CU \rightarrow measures goods 'subjectively'
 v/s OU \rightarrow measures goods 'objectively'.

4.) CU \rightarrow this approach is based on Marginal Utility evaluation.
 v/s OU \rightarrow " " " indifference curve analysis.

Budget line:

only 2 commodities
 \checkmark X and \checkmark Y

Total income is \textcircled{M}

$M = 100$
 60, 70, 80 ... 100

5 P_x
 \downarrow
 x units

2 P_y
 \downarrow
 y units

$\textcircled{TE} \leq 100$
 $\leq M$

$\textcircled{TE} = x \cdot P_x + y \cdot P_y$

$5x + 2y$
 $P_x \cdot x + P_y \cdot y \leq M$

ie, $M \geq x P_x + y P_y$ budget constraint.

What is budget line? locus of different combinations of purchasing two commodities X and Y such that $TE = \text{income}$
 ie, $M = P_x \cdot x + P_y \cdot y$

budget equation is $M = P_x \cdot x + P_y \cdot y$

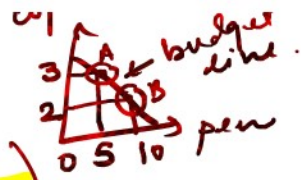
\textcircled{Pen}

\textcircled{COPY}

copy
 3/10 budget line.

$M = 100$
Pen
 $\text{₹} 5$
 pt A $(\text{₹} 50, 10 \text{ pens})$
 pt B $(\text{₹} 25, 5 \text{ pens})$

(COPY)
 $\text{₹} 25$
 $(\text{₹} 50, 2 \text{ copies})$
 $(\text{₹} 75, 3 \text{ copies})$

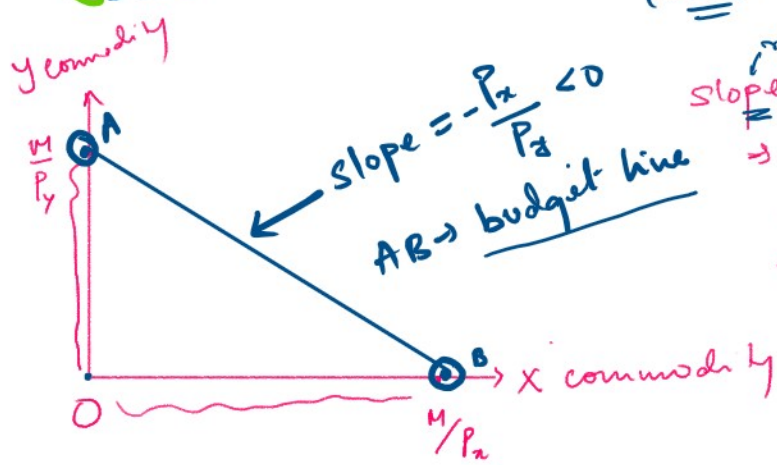


$$\begin{bmatrix} X \\ P_x \end{bmatrix} + \begin{bmatrix} Y \\ P_y \end{bmatrix} = M \quad \text{budget line.}$$

$$x \cdot P_x + y \cdot P_y = M$$

if $x=0$ then $y = M/P_y$ (COA)
 if $y=0$ then $x = M/P_x$ (OB)

intercept of y-axis and x-axis.



rate of change $\rightarrow \frac{dy}{dx}$
 slope of budget line:
 $M = P_x \cdot x + P_y \cdot y$
 let us differentiate w.r.t x
 $\frac{dM}{dx} = P_x + P_y \cdot \frac{dy}{dx}$
 M is const $\therefore \frac{dM}{dx} = 0$

1. Definition of budget line.
2. Equation of budget line.
3. Diagram of budget line (remember the values of \dots)

$0 = P_x + P_y \cdot \frac{dy}{dx}$
 $\therefore \frac{dy}{dx} = -\frac{P_x}{P_y}$
 ie, slope of budget line = $-\frac{P_x}{P_y} < 0$

3. Diagram of budget line
(Remember the value of
intercept (like OA and OB)
and slope = $-P_x/P_y$)

$$\left. \begin{array}{l} \text{ie, slope} \\ \text{of} \\ \text{Budget} \\ \text{line} \end{array} \right\} = -\frac{P_x}{P_y} < 0$$

\therefore budget line is
-vely sloped straight
line.

- Topics:
- ① shifts in budget line.
 - ② Indifference curve
 - ③ Consumer's equilibrium point.